



A One-Grid Framework for Pyrolysis of Porous Biomass Particles

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Towards a carbon neutral future



Understanding wood pyrolysis





Huang, Q. X., Wang, R. P., Li, W. J., Tang, Y. J., Chi, Y., & Yan, J. H. (2014). Modeling and experimental studies of the effects of volume shrinkage on the pyrolysis of waste wood sphere. *Energy & Fuels*, 28(10), 6398–6406.

Challenges in wood modeling



- * Complex chemical kinetics
- Multiphase interactions
- ✤ Heat and mass transfer

- * Anisotropy of wood properties
- Porous material
- * Large uncertainties and variability

State of the art

Current models of reacting particles either focus on one of two aspects

Particle **shape and porosity changes**



External **gas combustion** of a **still spherical** or point **particle**



We want to be able to simulate both effects simultaneously

Gentile, G., Debiagi, P. E. A., Cuoci, A., Frassoldati, A., Ranzi, E., & Faravelli, T. (2017). A computational framework for the pyrolysis of anisotropic biomass particles. *Chemical Engineering Journal*, *321*,

Tufano, G., Stein, O., Kronenburg, A., Frassoldati, A., Faravelli, T., Deng, L., Kempf, A., Vascellari, M., & Hasse, C. (2016). Resolved flow simulation of pulverized coal particle devolatilization and ignition in air- and O2/CO2-atmospheres. *Fuel*, 186, 285-292.

The particle scale





For stiff ode chemistry integration, thermodynamic and transport properties

Cuoci, A., Frassoldati, A., Faravelli, T., & Ranzi, E. (2015). OpenSMOKE++: An objectoriented framework for the numerical modeling of reactive systems with detailed kinetic mechanisms. *Computer Physics Communications*, 192, 237-264 We avoid a sharp description of the pores interface and consider a whole **pseudo-phase** which includes both solid and fluid.

We define the **porosity** as:

$$\varepsilon = \frac{V_g}{V_{tot}}$$

Properties are calculated as a function of the porosity:

$$\psi_m = \psi_G \epsilon + (1 - \epsilon) \psi_S$$

<u>Chemical reactions</u> can happen in the whole solid volume, no gas phase reactions (for now)

$$\Omega_{\rm i} \left[\frac{\rm kg}{m_s^3 s} \right] = A \ e^{\frac{E_a}{RT}}$$

Governing equations

One-field variable properties Navier-Stokes solution Effect of porous media Chemical reactions Darcy and Forchheimer contributions

$$\rho_{G}\left[\frac{\partial \boldsymbol{v}}{\partial t} + \nabla\left(\frac{\boldsymbol{v}\boldsymbol{v}}{\boldsymbol{\epsilon}}\right)\right] = -\nabla p + \nabla \cdot \left[\mu(\nabla \boldsymbol{v} + (\nabla \boldsymbol{v})^{T})\right] - \left[\frac{\mu \boldsymbol{\epsilon}}{\boldsymbol{K}}\boldsymbol{v} + \frac{F\rho_{G}\boldsymbol{\epsilon}}{\sqrt{\boldsymbol{K}}}|\boldsymbol{v}|\boldsymbol{v}\right]\boldsymbol{c}$$
$$\nabla \cdot \boldsymbol{v} = (1 - \boldsymbol{\epsilon})\dot{\Omega}\left[\frac{1}{\rho_{g}} - \frac{1}{\rho_{s}}\right] - \boldsymbol{\epsilon}\frac{1}{\rho_{g}}\frac{D\rho_{g}}{Dt}$$



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$$\nabla \cdot \boldsymbol{v} = (1-\boldsymbol{\epsilon})\dot{\Omega}\left[\frac{1}{\rho_{g}} - \frac{1}{\rho_{s}}\right] - \boldsymbol{\epsilon}\frac{1}{\rho_{g}}\frac{D\rho_{g}}{Dt}$$

Two field species and energy equation More accurate description of the interface temperature

$$\left(\rho C_p\right)_m \frac{\partial T_m}{\partial t} + \left(\rho C_p\right)_g \boldsymbol{v}_g \cdot \nabla T_m = \nabla \cdot (\boldsymbol{\lambda}_m \nabla T_m) - \nabla T_m \cdot \left(\sum_{i=1}^{NGS} C_p_{ij_{i,k}}\right) + \dot{Q} + \epsilon \dot{\boldsymbol{Q}_k}^{\boldsymbol{r}}$$
$$\frac{\partial \left(\omega_{i,k} \boldsymbol{\epsilon}_k \rho_k\right)}{\partial t} + \nabla \cdot \left(\omega_{i,k} \rho_k (\boldsymbol{v}_k + \boldsymbol{\epsilon}_k \boldsymbol{u}_m)\right) = -\nabla \cdot j_{i,k} + \boldsymbol{\epsilon}_s \boldsymbol{\Omega}_{\boldsymbol{i},s}^{\boldsymbol{\cdot}}$$



Wake behind a porous cylinder

Non reacting case, laminar conditions Re = 20



An ill posed problem

Conservation of solid mass

$$\frac{\partial M_s}{\partial t} = -\Omega V_S \quad \to \cdots \quad \to \quad V_{tot} \frac{\partial \epsilon}{\partial t} + \epsilon \frac{\partial V_{tot}}{\partial t} = -\Omega \frac{\epsilon V_{tot}}{\rho_s}$$

2 unknowns with 1 equation

Only porosity variation

Uniform conversion model

Reality is an in between situation

Both effects happened together

Only volume variation

Shrinking particle model







Porosity variation

$$V_{tot}\frac{\partial \epsilon}{\partial t} + \epsilon \frac{\partial V_{tot}}{\partial t} = -\Omega \frac{\epsilon V_{tot}}{\rho_s} \rightarrow \frac{\partial \epsilon}{\partial t} = -\Omega \frac{\epsilon}{\rho_s}$$

We solve the porosity equation in each cell



Volume variation

 $V_{tot} \frac{\partial \epsilon}{\partial t} + \epsilon \frac{\partial V_{tot}}{\partial t} = -\Omega \frac{\epsilon V_{tot}}{\rho_s} \rightarrow \frac{\partial V_{tot}}{\partial t} = -\Omega \frac{V_{tot}}{\rho_s}$ $\begin{cases} \nabla \cdot (\nabla \boldsymbol{\phi}) = \frac{\Omega}{\rho_s} \\ \boldsymbol{u}_{\mathrm{m}} = -\nabla \boldsymbol{\phi} \end{cases}$ How to connect Ω and u_m ? **Velocity potential** porosity 0.8 0.8 M/M₀ R/R₀ 0.6 0.6 0.4 0.4 level 5 level 5 level 6 level 6 0.2 0.2 level 7 level 7 analytical analytical 0 ſ 2 8 10 2 8 10 6 6 0 0 Δ t [s] t [s]

Reality is an in between situation

We **split** the contribution of Ω to account for both effects



Ideally Z should be a function of the physics of the problem, for example: $Z = \Omega/_{max(\Omega)}$

Convergence of mass conservation



Internal phase validation

- Heating of a reacting spherical wood particle ٠
- Data from Corbetta et al
- Imposed surface temperature profile ۲

Exothermic charrification reactions



Time [s]

Corbetta, M., Frassoldati, A., Bennadji, H., Smith, K., Serapiglia, M. J., Gauthier, G., Melkior, T., Ranzi, E., & Fisher, E. M. (2014). Pyrolysis of Centimeter-Scale woody Biomass particles: kinetic modeling and experimental validation. Energy & Fuels, 28(6), 3884-3898.

Temperature snapshots

Temperature [K]



Species released



Results are strongly influenced by the kinetic mechanism

Good agreement in terms of:

+ Order of magnitude + Released time



G. Gauthier, Syntesis of Second Generation Biofuels: Study of Pyrolysis of Centimeter-Scale Wood Particles at High Temperature, Universite de Toulouse, 2013.

Anisotropic cylinder in flow

Additional comparison with Gentile et al results: NO NEED FOR CORRELATIONS



Gentile, G., Debiagi, P. E. A., Cuoci, A., Frassoldati, A., Ranzi, E., & Faravelli, T. (2017). A computational framework for the pyrolysis of anisotropic biomass particles. Chemical Engineering Journal, 321, 458-473.

Anisotropic cylinder in flow



Propagation of the shrinking region



Summary

- VoF and Chemical reaction coupling
- Solution of both internal and external phases
- Both changes in porosity and shape
- Anisotropic properties

Future works

- More validation
- Gas-phase reactions
- Combustion
- Chemistry reduction methods

Already done for droplets! Check out <u>Edoardo Cipriano</u>'s presentation





Thank you for your attention!

Are there any questions?

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